

Name: \_\_\_\_\_ Date: \_\_\_\_\_ Period: \_\_\_\_\_

You MUST follow these directions IN ORDER, if you expect to get a good grade.

- 1) Visit **WAMPLO.WEEBLY.COM** to get the links.
- 2) Click on the link [EXPLORING TRANSLATIONS](#).

Label the coordinates of  $\triangle ABC$ :

A \_\_\_\_\_ B \_\_\_\_\_ C \_\_\_\_\_

**Move the endpoint of vector  $u$  (point  $E$ ) to  $(0, 0)$ .**

Then move point  $E$  show the translation: 5 units to the right and 4 units down.

Label the coordinates of  $\triangle A'B'C'$ :

A' \_\_\_\_\_ B' \_\_\_\_\_ C' \_\_\_\_\_

How would you write this transformation algebraically?

$$(x,y) \rightarrow$$

Now change the vertices of  $\triangle ABC$  to be the points listed in the table below.

Complete the table by changing the endpoint of vector  $u$  (point  $E$ ) to  $(-4, 3)$

PREIMAGE		IMAGE	
A	(1, 4)	A'	
B	(2, -1)	B'	
C	(4, 5)	C'	

How would you describe the translation in words?

How would you write this transformation algebraically?

$$(x,y) \rightarrow$$

3) Click on the link [EXPLORING REFLECTIONS](#).

Label the coordinates of Polygon  $ABCDE$ :

$A$  \_\_\_\_\_       $B$  \_\_\_\_\_       $C$  \_\_\_\_\_       $D$  \_\_\_\_\_       $E$  \_\_\_\_\_

Click the box next to Mirror line. WITHOUT touching the dots, CAREFULLY drag the line of reflection (dashed red line) so that it lies on top of the  $y$ -axis.

Predict where the coordinates of Polygon  $A'B'C'D'E'$  will be:

$A'$  \_\_\_\_\_       $B'$  \_\_\_\_\_       $C'$  \_\_\_\_\_       $D'$  \_\_\_\_\_       $E'$  \_\_\_\_\_

Now click the Reflect! box to verify if your answers are correct.

Complete the table using your information from above:

PREIMAGE		IMAGE	
$A$		$A'$	
$B$		$B'$	
$C$		$C'$	
$D$		$D'$	
$E$		$E'$	

How would you describe, in words, the way the coordinates change after a reflection over the  $y$ -axis?

How would you write this transformation algebraically?

$(x,y) \rightarrow$

4) **Unclick the Reflect! box** and drag the entire Polygon  $ABCDE$  so that point  $A$  has the coordinates  $(-4,1)$

Label the coordinates of Polygon  $ABCDE$ :

$A$  \_\_\_\_\_       $B$  \_\_\_\_\_       $C$  \_\_\_\_\_       $D$  \_\_\_\_\_       $E$  \_\_\_\_\_

CAREFULLY drag the DOTS on the line of reflection (dashed red line) so that they both lie on top of the  $x$ -axis. Your dashed line should become the  $x$ -axis.

Predict where the coordinates of Polygon  $A'B'C'D'E'$  will be:

$A'$  \_\_\_\_\_       $B'$  \_\_\_\_\_       $C'$  \_\_\_\_\_       $D'$  \_\_\_\_\_       $E'$  \_\_\_\_\_

Now click the Reflect! box to verify if your answers are correct.

Complete the table using your information from above:

PREIMAGE		IMAGE	
$A$		$A'$	
$B$		$B'$	
$C$		$C'$	
$D$		$D'$	
$E$		$E'$	

How would you describe, in words, the way the coordinates change after a reflection over the  $x$ -axis?

How would you write this transformation algebraically?

$$(x,y) \rightarrow$$

5) Click on the link [EXPLORING ROTATIONS](#).

### SET THE SLIDER TO 0 !!!

In the left hand column, click the BLUE DOT next to the letters  $B$ ,  $C$ ,  $C'$ ,  $D'$ ,  $E'$ ,  $F'$ , and  $G'$ .

Click the – sign in front of the word Number.

Click the – sign in front of the word Quadrilateral.

Click the – sign in front of the word Segment.

**DOUBLE CLICK** on Point  $A$  and change the coordinates to  $(0, 0)$ . **Hit ENTER !**

**DOUBLE CLICK** on Points  $D$ ,  $E$ ,  $F$ , and  $G$  change them to the coordinates listed in the table below. **You MUST hit enter each time !!**

PREIMAGE		IMAGE	
$D$	$(-1, 4)$	$D'$	
$E$	$(1, 5)$	$E'$	
$F$	$(4, 2)$	$F'$	
$G$	$(0, 2)$	$G'$	

Predict where the coordinates of Quadrilateral  $D'E'F'G'$  will be after a  $90^\circ$  rotation around the origin, and complete the table.

Now move the slider to  $a = 90$  to verify if your prediction is true. Use the list in the left column to verify the exact coordinates.

How would you describe, in words, the way the coordinates change after a  $90^\circ$  rotation around the origin?

How would you write this transformation algebraically?

$$(x,y) \rightarrow$$

6) **RESET THE SLIDER TO 0 !!**

Now predict where the coordinates of Quadrilateral  $D'E'F'G'$  will be after a  $180^\circ$  rotation around the origin, and complete the table.

PREIMAGE		IMAGE	
$D$	$(-1, 4)$	$D'$	
$E$	$(1, 5)$	$E'$	
$F$	$(4, 2)$	$F'$	
$G$	$(0, 2)$	$G'$	

Now move the slider to  $a = 180$  to verify if your prediction is true. Use the list in the left column to verify the exact coordinates.

How would you describe, in words, the way the coordinates change after a  $180^\circ$  rotation around the origin?

How would you write this transformation algebraically?

$$(x,y) \rightarrow$$